Statistics for Dummies

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Data

"Without data, you're just another person with an opinion"

W. Edwards Deming



Average

"Arithmetic Mean"

Avg = sum / # samples

avg(1,2,3) = 6/3 = 2



Median

Midpoint of a data set

| Value | 11 | 22 | 33 | 44 | 55 |
|--------|----|--------|----|----|----|
| Sample | 1 | 2 | 3 | 4 | 5 |
| | | rcenti | | | |



90th Percentile

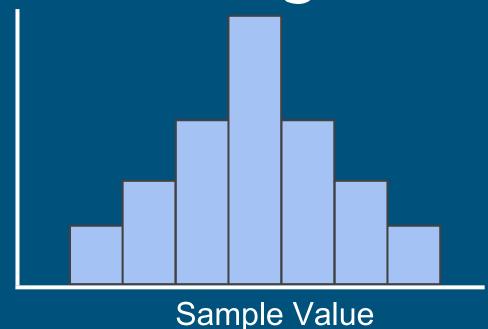
90% of the values are below it

| Value | 11 | 22 | 33 | 44 | 55 | 66 | 77 | 88 | 99 | 100 | 111 |
|--------------|----|----|----|----|----|----|----|----|----|-----|-----|
| Sample | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 |
| q(0.9) = 100 | | | | | | | | | | | |



Histogram

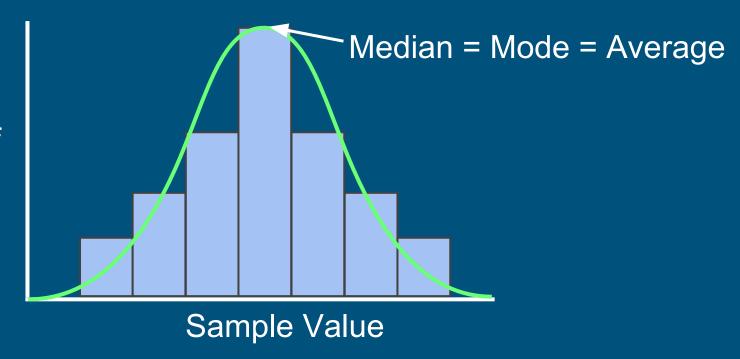
Number of Samples





Normal Distribution

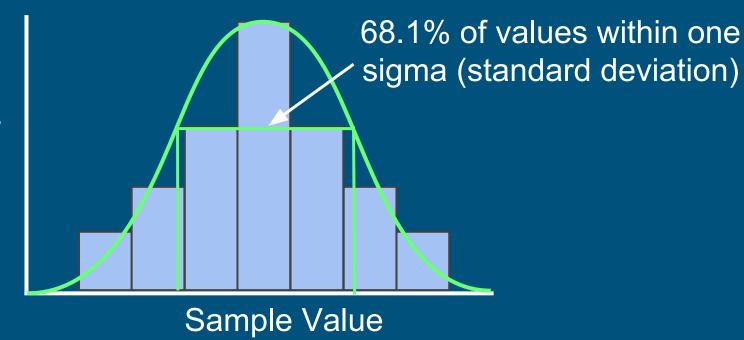
Number of Samples





Standard Deviation

Number of Samples





Standard Deviation (o)

$$\sigma = \sqrt{\frac{1}{n} \sum_{i=1}^{n} (x_i - \mu)^2}$$

Subtract the mean μ from all the samples, square the difference, sum and divide by number of samples



Non Normal Distribution

Number of Samples Sample Value



Non Normal Distribution

Mode Median What's the Number of standard Samples deviation? Sample Value



Percentiles

Sample set A q(0.95) = 10

Sample set B q(0.95) = 20

What is q(0.95) for A U B?



Percentiles

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a(0.95){A U B} !=
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$$avg(q(0.95){A} + q(0.95){B})$$

q(0.95){A U B } needs raw data



"The Double" = 2012

Determine who is Cassius the Assassin



"Stephen Hawking is Cassius"

Formulate a null hypothesis

"Stephen Hawking is not Cassius"



Try to disprove the null hypothesis

Hawking wasn't in any crime scene photos

Null hypothesis proved, Hawking != Cassius

Large p-value, > 0.05, weak evidence against



"Richard Gere is Cassius"

Formulate a null hypothesis

"Richard Gere is not Cassius"



Try to disprove null hypothesis

Richard Gere was in ALL of the crime scene photos

Small p-value, <= 0.05, weak evidence for



Null hypothesis disproved

Richard Gere is Cassius



Don't be a Dummy

Go learn some statistics!

